

THE EFFECT OF THE WAR
ON MARKET PRICES IN
METALLURGY SECTOR.

by

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Chapter 1. INTRODUCTION

1.1 Background

The war in Ukraine had an impact not only on the Ukrainian economy, but also on global markets. Commodity markets reacted strongly to the beginning of the war. Prices in the metal markets also showed sharp dynamics. There is no doubt among economists that oil and gas prices have changed significantly due to geopolitical factors, but there is no consensus on the dynamics of metal prices. Therefore, there is a problem of determining the statistical significance of the impact of war on metal prices.

1.2 Purpose

The purpose of this thesis is to identify the statistical impact of the fact of the beginning of the war between Russia and Ukraine on the prices of three metals: aluminum, iron ore and copper. For this purpose, global metal prices, as well as Ukrainian export and import prices and their ratio (terms of trade) should be analyzed.

The thesis proposes the following four hypotheses:

Hypothesis 1. The start of the Russian-Ukrainian war on February 24, 2022 had a statistically significant impact on world metal prices (aluminum, iron ore, copper).

Hypothesis 2. The start of the Russian-Ukrainian war on February 24, 2022 had a statistically significant impact on Ukrainian export prices of metals (aluminum and its products, ferrous metals, copper and its products - groups 76, 72 and 74 of the Classifier of Foreign Trade of Ukraine, respectively).

Hypothesis 3. The start of the Russian-Ukrainian war on February 24, 2022 had a statistically significant impact on Ukrainian export prices of metals (aluminum

and its products, ferrous metals, copper and its products - groups 76, 72 and 74 of the Classifier of Foreign Trade of Ukraine, respectively).

Hypothesis 4. The start of the Russian-Ukrainian war on February 24, 2022 had a statistically significant impact on the terms of Ukraine's trade in metals (aluminum and its products, ferrous metals, copper and its products - groups 76, 72 and 74 of the Classifier of Foreign Trade of Ukraine, respectively).

1.3 Methodology

Time series research methods are used to test the stated hypotheses. Using time series decomposition in the dynamics of metal prices, an outlier corresponding in time to the beginning of the war is identified. After removing the trend component and the cyclical component from the time series, the irregular component and the war beginning outlier remain in the time series. Identification of the trend component and cyclic component is performed using moving average smoothing. The stationarity of the irregular component is checked using the augmented Dickey-Fuller test. A linear regression containing a dummy variable is used to test the statistical significance of the effect of the war starting. If the effect of the beginning of the war dominates price dynamics, then the corresponding coefficient in the regression equation should be statistically significant.

1.4 Scope and Limitations

The paper focuses on the price dynamics of only three metals (aluminum, copper, iron) and the results cannot be extended to all other metals. The methodology used in this paper makes sense under the assumption that in the first months of the war the effect of the war was the dominant factor in the dynamics of metal prices. The identification of the period of influence of the war effect on metal prices in the work is justified in general terms, so it is possible that in some particular cases some individual factors were not taken into account. The historical data for the study includes metal prices from 2012 to 2023 and monthly indices from 2012 to 2023; the

author does not exclude that expanding or narrowing the length of the time series may slightly change the results of the work.

1.5 Outline

The thesis is divided into six chapters. Chapter 2 describes the recent trends of the metal prices on the global market and in foreign trade of Ukraine. The ways in which the war affects the price of metals are presented here. The phases in the price dynamics of each metal are analysed. In chapter 3 the main components of the time series are analysed. The algorithm for isolating the war effect component is also described. This chapter also contains the justification for the period of influence of the war effect on metal prices. Chapter 4 describes the data used in the study. In chapter 5 the empirical results are presented and analysed. Chapter 6 presents and discusses the final conclusions and recommendations.

Chapter 2. INDUSTRY OVERVIEW AND RELATED STUDIES

2.1 Mechanisms of influence of the full-scale phase of the Russian-Ukrainian war (from 2022) on the prices of aluminum, copper and iron ore.

The war in Ukraine since the end of February 2022 have had uneven impacts on commodity markets. The effects were most pronounced in the oil, natural gas, fertilizer and grain markets. Metals markets have been under less pressure. The heterogeneity of the impact of the war on different commodities is due to a combination of the following factors:

- the possibility of redirecting sanctioned Russian exports through other countries;
- the amount of raw material stocks that can be used for the period of supply disruptions;
- the potential for an urgent increase in commodity production in other countries;
- market sensitivity to the war-induced decline in demand.

At the beginning of 2022, Russia's share in global aluminum exports was estimated at 4.2% (according to JPMorgan). In this regard, the sanctions imposed on Russian aluminum exports had an impact on global aluminum prices. Alumina imports were also restricted due to the refusal of supplies from Australia, the largest importer of alumina to Russia. In February, Rusal suspended production at its alumina refinery in Ukraine. Combined, these led to the loss of 2/3 of Russian imports Alumina.

Russian copper exports accounted for about 3.3% of global exports. Although the EU has not imposed sanctions on Russian copper, Russian producers have been subject to blocking sanctions by the United States. And the largest importer of copper in Europe, Aurubis, refused to extend contracts with Russian producers,

as a result of which Russian copper exports to Europe fell from 27.9 thousand tons in January 2022 to 7.7 thousand tons by May 2023. However, the main decline in imports occurred in 2023, and in 2022, according to Eurostat, there was even a slight increase in imports (301.6 thousand tons in 2022 compared to 294.5 thousand tons in 2021). Thus, the shock in the metal market from the war and sanctions restrictions for 2022 was moderate or even weak.

According to the World Bank, in 2021, Ukraine ranked 4th in the world (\$3.9 billion) in terms of the value of iron ore exports, second only to Australia (\$115.2 billion), Brazil (\$40.7 billion) and Canada (\$5.4 billion). In 2022, Ukraine's exports decreased to \$2.9 billion, behind South Africa, Sweden and China in addition to the three leaders. After the start of Russia's armed invasion due to the blockade of seaports, exports have been restricted. Ukraine redirected part of its iron ore exports to European countries, however, due to increased logistics costs by rail and lower prices on the world market, production was reduced. On the other hand, the war caused a significant increase in energy costs for metal producers. Steel producers who import iron ore, in an effort to reduce increased costs, reduced production, or tried to find cheaper suppliers of ore, which pushed world iron ore prices down.

2.2 Literature review

Numerous studies have explored the economic consequences of armed conflicts on domestic markets, sector incomes, and world market prices in various contexts. These studies provide valuable insights and serve as a foundation for understanding the potential effects of the war on the metallurgy sector in Ukraine. The following are three relevant studies that shed light on similar themes:

"The Economic Impact of Armed Conflict and the Price of Violence" by Paul Collier and Anke Hoeffler (2004):

This study examines the economic consequences of armed conflicts, focusing on the impact on economic growth, domestic investment, and capital accumulation. It highlights the negative effects of conflict on various sectors, including

manufacturing, agriculture, and trade. The study emphasizes the importance of restoring economic stability and rebuilding infrastructure in post-conflict situations to foster sustainable development.

"The Effects of Conflict on Local Taxation: Evidence from the War in Iraq" by Ryan S. Jablonski (2015):

This research investigates the effects of the war in Iraq on local tax revenues, a crucial source of income for local governments. The study finds that armed conflict disrupts tax collection mechanisms, leading to significant declines in revenue. It emphasizes the importance of understanding the fiscal implications of conflict and developing strategies to mitigate the adverse effects on local economies.

"The Impact of Political Conflict on Trade: Evidence from the Ukraine Crisis" by Sergey Kiselev and Philip Ushchev (2017):

This study analyzes the impact of the Ukraine crisis on international trade, focusing on the trade relationship between Ukraine and its major trading partners. The research finds substantial negative effects of the conflict on bilateral trade flows, highlighting the disruption of supply chains, increased trade costs, and reduced market access. The study emphasizes the importance of diversifying trade partners and developing resilient trade strategies in conflict-affected regions.

These studies offer insightful information about the financial effects of armed conflicts and market disruptions on both domestic and international markets. Although they might not particularly address the Ukrainian metallurgical industry, they do provide pertinent approaches, frameworks, and factors to take into account when analyzing how the war has affected domestic prices, sector earnings, and global market prices.

By concentrating on the influence of the conflict on domestic pricing and sector incomes in Ukraine's metallurgy industry, as well as its implications for world market prices, the current thesis seeks to close the knowledge gap by building on the findings and techniques of these research. This study aims to offer a thorough analysis

of the economic effects of the war in the industry by taking into account the special context of Ukraine and its importance in the global metallurgical market.

Charper 3. METHODOLOGY

3.1 Hypotheses tested in this paper:

Hypothesis 1. The start of the Russian-Ukrainian war on February 24, 2022 had a statistically significant impact on world metal prices (aluminum, iron ore, copper).

Hypothesis 2. The start of the Russian-Ukrainian war on February 24, 2022 had a statistically significant impact on Ukrainian export prices of metals (aluminum and its products, ferrous metals, copper and its products - groups 76, 72 and 74 of the Classifier of Foreign Trade of Ukraine, respectively).

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3.2 The main components of the time series of metal prices.

Cyclic component C_t . As the graphical analysis of the dynamics of prices for aluminum, copper and iron ore in 2013-2023 in the world market and in Ukraine's foreign trade showed, the cyclical component is the leading component of the time series. Particularly striking cycles stand out in the dynamics of world prices and the dynamics of export prices in Ukraine, where 3-4 major cycles are noted. According to the time series charts of the terms of trading in metals in Ukraine, cyclicity is not traced.

Seasonal component S_t . The study of autocorrelation functions for the initial world prices of aluminum, copper, and iron ore does not reveal monthly seasonality (lag = 12), since the corresponding ACF coefficients are not statistically significant

at the significance level of 0.05 (Figure 1). Similar conclusions are made on the basis of the analysis of Ukraine's export prices according to the Paasche price index by the base year 2012. In import price indices, an autocorrelation with a lag of 12 is observed for iron, since in January 2015 there was an abnormal value of the import price index for this metal. At the same time, the nature of the anomaly of this value remains unclear.

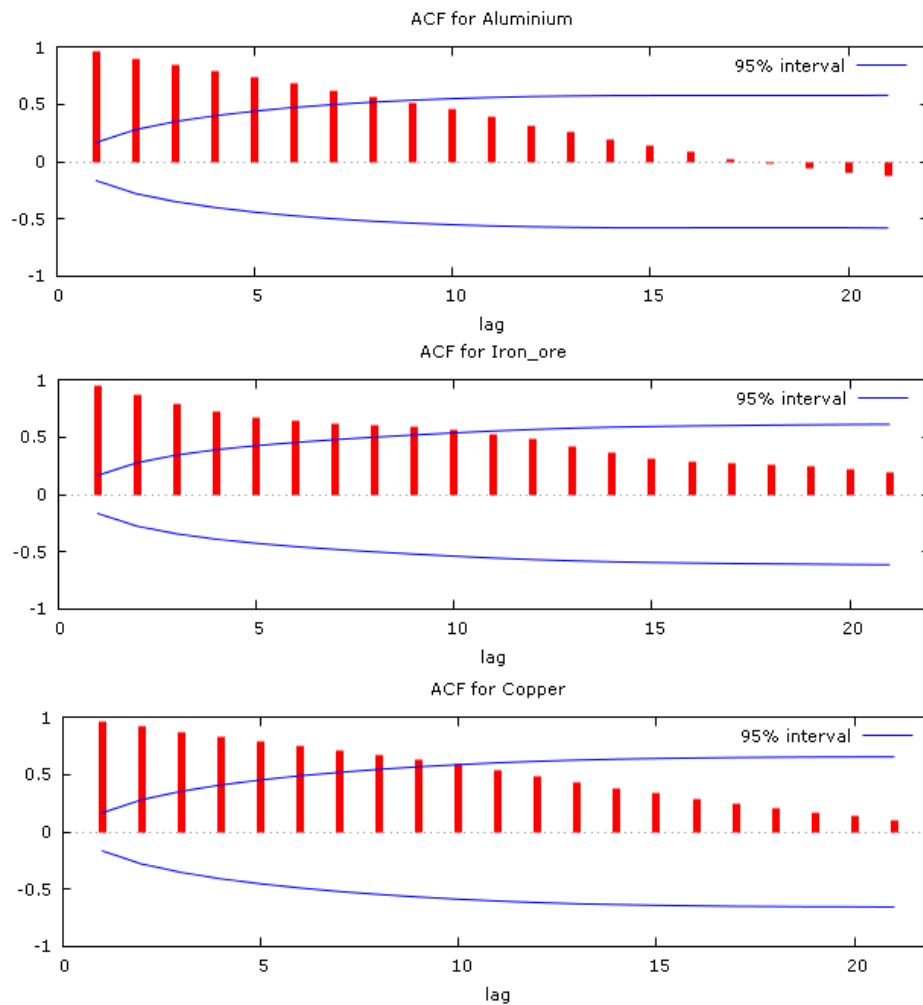


Figure 1. Autocorrelation functions for nominal metal prices with Bartlett 95% standard errors

Trend component T_t . It is not possible to identify a stable trend component that plays a leading role in the time series of metal prices (at least in the time interval 2013-2020). It is possible to consider short-term trends within a particular cycle, however, in this case, the trend component plays a secondary role, not the leading

one. In the event that the trend component played a leading role and cyclical components are secondary, visually on the chart, cycles would follow the trend, and not vice versa.

Irregular component E_t . This component is counted as a residual component after excluding the cyclical, seasonal and trend components. Since seasonality and visible trend are not clearly observed in the time series, the main task is to filter the cyclic component.

3.3 The algorithm for identifying the shock component – the impact of the beginning of the large-scale phase of the Russian-Ukrainian war.

Along with the main components, metal prices can include shock components of individual geopolitical or other events that have a short-term but very significant impact on the price. Among such events in recent years, the COVID-19 pandemic (or, more precisely, the reaction of society to the pandemic in the form of restrictive measures, in particular, lockdowns, which have direct economic consequences), as well as Russia's armed invasion of Ukraine in February 2022, stand out. Both events are shocks to the economy, as they are unpredictable both in terms of the duration of the impact and the expected consequences. The reaction of markets to such shocks is most evident in commodity prices, in particular, metals, since market participants often factor in all possible risks of consequences, thereby multiplying the effect of the shock factor.

To assess the impact of the shock component, the following sequence of analysis seems appropriate:

Stage 1. Isolation of the cyclic component. It can be carried out in different ways. In this paper, a centered moving average with a smoothing period of $t=12$ months is used for filtering.

Stage 2. Testing of the residual component for stationarity. Since only the random and shock components should remain after the cyclic component is excluded, the part of the time series where the shock component should not occur chronologically is checked using the single root test (the Augmented Dickey-Fuller test). In the case of nonstationarity, the most appropriate filtering method is selected.

Stage 3. Estimation of the duration of the shock component. Typically, this is a relatively short period of time during which the shock factor is dominant in the markets.

Stage 4. Estimating the significance of the shock component using the following year's regression:

$$\hat{y}_t = a_0 + a_1 \cdot W + a_2 \cdot W \cdot t + \varepsilon_t,$$

where \hat{y}_t is the time series of basic metal price indices with cyclical, trend and seasonal components excluded (i.e. stationary series + shock components);

W – fictitious variable of the war (equal to 0 in the period before and after the impact of the shock of the beginning of the war, 1 during the period of the market shock);

t – period number (month number in order, January 2013 $t=1$);

ε_t – irregular component, regression residuals;

a_0, a_1, a_2 - Least squares regression parameters.

The inclusion of the factor in the regression along with the W factor ($W \cdot t$) is caused by the need to assess the impact of the shock for several periods (months) in case of uneven distribution of the impact within the estimated critical period.

Along with the extended form, abbreviated regressions $\hat{y}_t = a_0 + a_2 \cdot W \cdot t + \varepsilon_t$ and $\hat{y}_t = a_0 + a_1 \cdot W + \varepsilon_t$.

The statistical significance of at least one of the coefficients a_1, a_2 will be equivalent to the statistical significance of the impact of the war shock on the price of the corresponding metal.

3.4 Estimation of the duration of the shock component.

In order to assess the duration of the shock effect of the beginning of the war, it is necessary to select such a critical point (bifurcation point) at which the effect of other important factors in the dynamics of metal prices begins to outweigh the shock effect. These are, first of all, the following factors:

a) Inflationary consequences of excessive money printing as part of aid programs during the period of pandemic restrictions.

b) The second wave of lockdowns in China (the closure of Shanghai and some other cities), which sharply reduced economic activity in China, the largest consumer

of metals in the world. China's industrial production index decreased by -2.9% in April 2022 (compared to April 2021). In March-April, the Shanghai Composite stock index lost about 12% of its capitalization.

c) Economic consequences of high energy prices for the industry of European developed countries. In particular, in Germany, industrial production in March 2022 decreased by -3.5% (compared to the previous year), in April it decreased by -2.2%, in May it decreased by -1.5%.

d) Decisive measures taken by central banks to combat high inflation. On March 16, the Fed began a cycle of rate hikes (to 0.5% on March 16, to 1% on May 4, to 1.75% on June 15 and beyond during the second half of 2022 and in 2023 to a high of 5.5% on July 26, 2023).

It is also necessary to take into account the methodological difference in the world prices used and the prices of Ukraine's foreign trade. World metal prices are exchange quotations of world commodity exchanges (in fact, momentary levels of the time series), so the shock effect of the beginning of the war began to be laid down at the end of February (that is, it was taken into account in the price index for February 2022). Ukraine's export and import prices are taken into account in the weighted average aggregate indices, and since only 5 out of 28 days in February fall on hostilities, the shock effect of February is reflected in the prices of Ukraine's foreign trade very insignificantly.

Taking into account the above factors, the interval from February to April 2022 (W_1) was taken as the time range for taking into account the shock component of the war for world prices, and the interval from March to May 2022 (W_2) was taken for foreign trade prices in Ukraine.

Chapter 4. DATA

4.1 Dynamics of world prices for aluminum, copper and iron ore in 2013-2023 and since the beginning of the war in 2022.

In 2013-2020, world aluminium prices showed relatively restrained volatility, deviating to +20% from 2012 prices when growing and up to -30% from 2012 prices when decreasing. Several price cycles in aluminium can be distinguished: a short cycle in 2013-2014 (up to 110% at the peak of 2014), a downward wave in 2015-2017 (to -30% at a low in 2016), The most significant volatility in aluminium prices was observed in the 2021-2023 cycle, when the price reached up to +60% at the 2022 high from 2012 levels, which can be considered the result of the influence of the global inflationary processes in conjunction with the Russian-Ukrainian war (Figure 2).

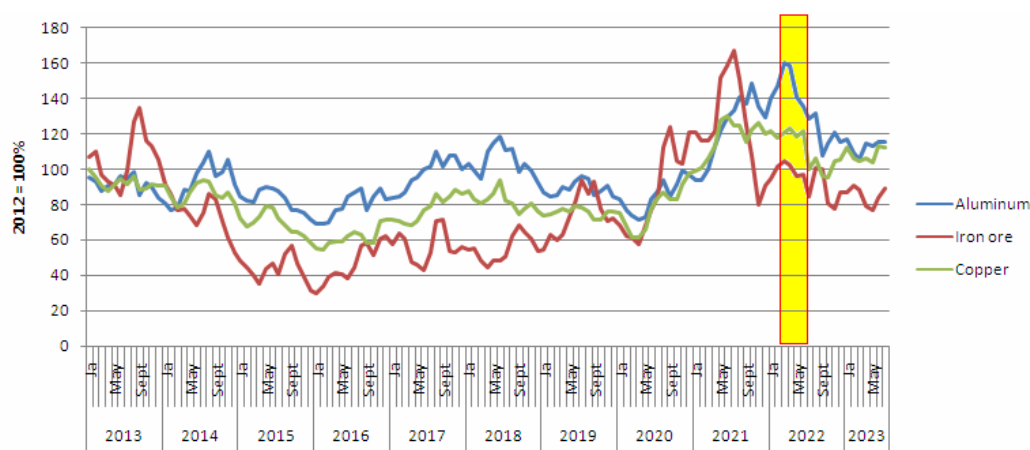


Figure 2. Global prices of the metals in the years 2013-2023, % to 2012 (the yellow area shows the first 4 months of the war)

The dynamics of global copper prices compared to aluminium have been more resilient to declines over the past decade. After a prolonged decline in 2013-2016, global copper prices fell below 60% of 2012 levels, then recovered to 90% of 2012 levels by 2018, and then fell significantly again to 60% levels at the beginning of the pandemic in 2020. Since 2021, copper prices have grown dynamically, reaching 130% of 2012 levels in mid-2021. In the second half of 2021, copper prices stabilized

at around 120% before retreating to 100% in the second half of 2022. The beginning of the military conflict did not have a visible noticeable impact on world copper prices (or temporarily restrained them from falling).

Iron ore showed the most significant fluctuations in the dynamics of its world prices among the three metals under consideration (up to 30% at the lows and up to 160% at the highs from the 2012 levels). In 2013-2016, there was a phase of decline in world prices, in 2016-2021 - a phase of growth in world prices for iron ore, and from the second half of 2021 - a sharp decline in world prices.

In the first months of the war, world iron ore prices showed only a slight decline, while during 2022 as a whole, the price of copper stabilized at 80-90% of the base year of 2012. In general, the dynamics charts show a more significant impact of the war on world aluminum prices than on the prices of copper and iron ore.

4.2 Dynamics of export and import prices of Ukraine, as well as terms of trade of aluminum, copper and iron ores in 2013-2023 and since the beginning of the war in 2022.

In 2013-2020, export prices of all three metals showed a similar cyclicity: a decline by 2016, then an increase by 2018 and a decrease by 2020. Since 2021, aluminum export prices have shown an increase of up to 160% from 2012 levels, then decline by the beginning of 2022 and, with the beginning of the war, show a noticeable increase in the first half of 2022. Copper and iron ore in 2021 showed only moderate growth from 80% to 120% of 2012 levels, while in the first months of the war they moved with multidirectional monthly dynamics with a general downward trend. Thus, graphically, there is a noticeable impact of the war on the export prices of aluminum and, to some extent, iron ore, in the dynamics of copper export prices, the impact of the war is not discernible (Figure 3).

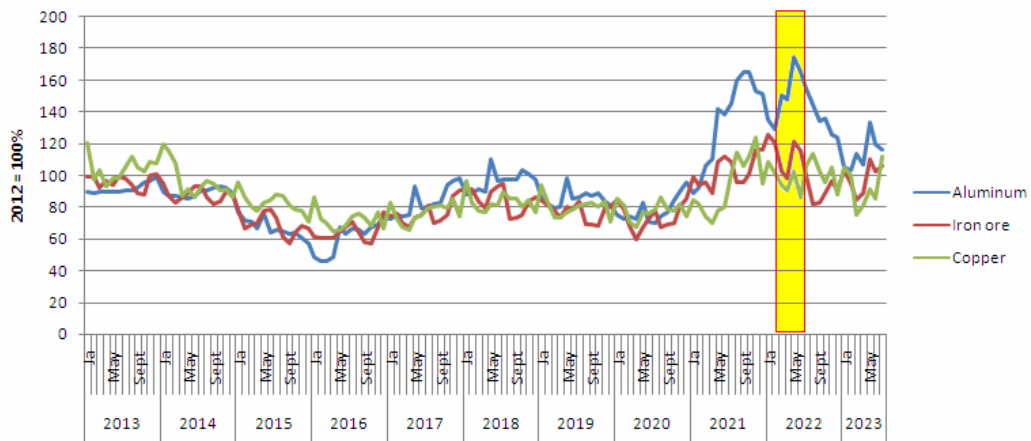


Figure 3. Export prices of the metals in Ukraine in the years 2013-2023, % to 2012 (the yellow area shows the first 4 months of the war)

Compared to exports, Ukraine's imports of metals show a much more significant price fluctuation with an upward trend in recent years. In general, the phases of growth and decline repeated the phases in export prices. However, the most noticeable dynamics since 2021 showed import prices not only for aluminum, but also for iron ore (up to 200% compared to the level of 2012). In the price dynamics, there is a noticeable impact of the war on import prices of aluminum, and to a lesser extent - in import prices of copper (Figure 4).

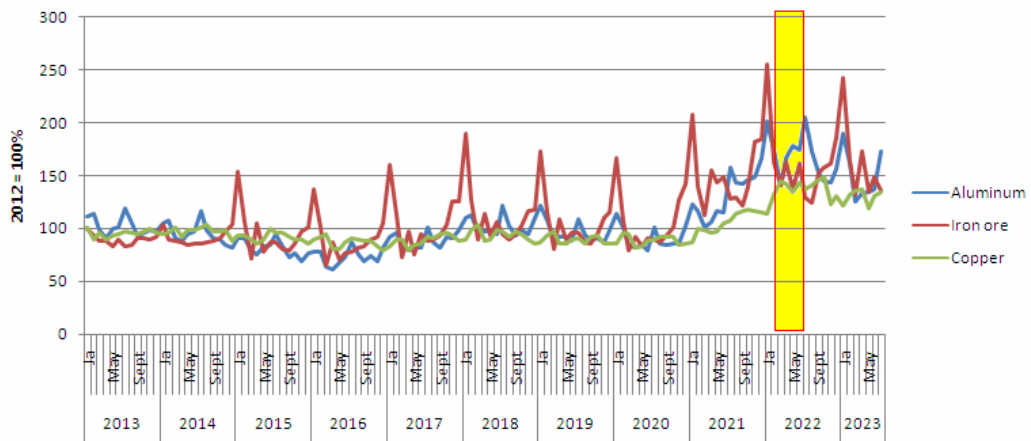


Figure 4. Import prices of the metals in Ukraine in the years 2013-2023, % to 2012 (the yellow area shows the first 4 months of the war)

The ratio of export prices of the metals under consideration to imports in Ukraine showed extremely high intra-year fluctuations between months, while since

2015 there has been a noticeable downward trend in the terms of trade for copper and ferrous metals. The effect of war on the terms of trade is difficult to determine graphically, and it is necessary to test the relevant statistical hypotheses (Figure 5).

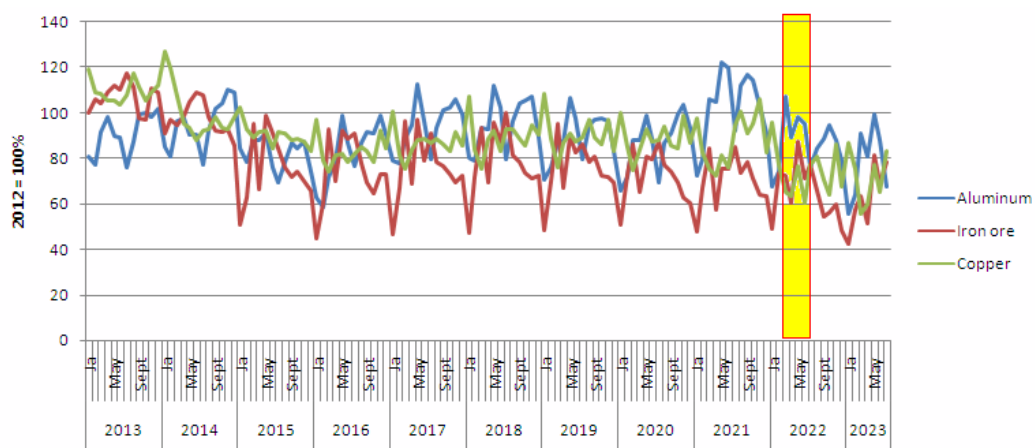


Figure 5. Terms of trade of the metals in Ukraine in the years 2013-2023, % to 2012 (the yellow area shows the first 4 months of the war)

Chapter 5. RESULTS

The market shock from the beginning of the large-scale phase of the Russian-Ukrainian war was statistically significant (at the 0.95 confidence level) for global aluminum prices (the impact is high because the P-level is very low). In the model $y(W)$ for coefficient a_1 P-level is $7.6 \cdot 10^{-5}$, in the model $y(Wt)$ for coefficient a_2 P-level is $7.2 \cdot 10^{-5}$, and in the model $y(W, Wt)$ both coefficients a_1 and a_2 are statistically insignificant at the level of 0.05 (P-level 0.105 and 0.099 for parameters a_1 and a_2 respectively). Thus, one parameter was sufficient to identify the impact of the beginning of the war on world aluminum prices. The extremely low P-level value for the first two models indicates that world aluminum prices were very sensitive to the shock from the beginning of the war.

The contribution of the shock component of the beginning of the war to the dynamics of global iron ore prices cannot be recognized as statistically significant in any of the considered modifications of the models: in the model $y(W)$ for the coefficient a_1 P-level is 0.511, in the model $y(Wt)$ for the coefficient a_2 P-level is 0.510, and in the model $y(W, Wt)$ both coefficients a_1 and a_2 turned out to be statistically insignificant at the level of 0.05 (P-level 0.735 and 0.731 for parameters a_1 and a_2 respectively). Thus, no significant effect of the war in the dynamics of global iron ore prices was found.

The contribution of the shock component of the beginning of the war to the dynamics of global copper prices also cannot be recognized as statistically significant in any of the considered modifications of the models: in the model $y(W)$ for the coefficient a_1 P-level is 0.214, in the model $y(Wt)$ for the coefficient a_2 P-level is 0.211, and in the model $y(W, Wt)$ both coefficients a_1 and a_2 turned out to be statistically insignificant at the level of 0.05 (P-level 0.268 and 0.264 for parameters a_1 and a_2 , respectively). Thus, no significant effect of the war in the dynamics of world copper prices was also found (Table 1).

Table 1. Levels of Significance of Metal Price Regression Coefficients (Global Market and Exports of Ukraine)

Regression	Options	Global Market			Export		
		Aluminum	Iron ore	Copper	Aluminum	Iron ore	Copper
$y=a_0+a_1*W$	P(a1)	7,6*10 ⁻⁵	0,511	0,214	0,08	0,788	0,106
$y=a_0+a_2*Wt$	P(a2)	7,2*10 ⁻⁵	0,510	0,211	0,077	0,766	0,108
$y=a_0+a_1*W+a_2*Wt$	P(a1)	0,105	0,735	0,268	0,012	0,034	0,276
	P(a2)	0,099	0,731	0,264	0,011	0,034	0,281

Aluminum export prices in Ukraine were significantly affected by the effect of the beginning of the war. This is not reflected in the $y(W)$ model, where the P-level of coefficient a_1 is $0.08 > 0.05$, nor is it reflected in the $y(Wt)$ model, where the P-level of coefficient a_2 was $0.077 > 0.05$. However, in the $y(W,Wt)$ model, both coefficients a_1 and a_2 are statistically significant ($P_1 = 0.012 < 0.05$ and $P_2 = 0.011 < 0.05$). Moreover, since $a_2 = 14.44 > 0$, the war caused an upward effect in the export prices of aluminum in Ukraine.

Export prices of iron in Ukraine were significantly affected by the effect of the beginning of the war. This is not reflected in the $y(W)$ model, where the P-level of the coefficient a_1 is $0.788 > 0.05$, nor is it reflected in the $y(Wt)$ model, where the P-level of the coefficient a_2 is $0.766 > 0.05$. However, in the $y(W,Wt)$ model, both coefficients a_1 and a_2 are statistically significant ($P_1 = 0.034 < 0.05$ and $P_2 = 0.034 < 0.05$). In this case, since $a_2 = 10.47 > 0$, the war caused an increase in iron export prices in Ukraine.

Export prices of copper in Ukraine did not react significantly to the beginning of the war: in the model $y(W)$ p-level for coefficient a_1 is $0.106 > 0.05$, in the model $y(Wt)$ p-level for coefficient a_2 is $0.108 > 0.05$, in the model $y(W,Wt)$ both coefficients are not statistically significant, as $P_1 = 0.276 > 0.05$, $P_2 = 0.281 > 0.05$.

Import prices of aluminum in Ukraine changed significantly under the effect of the beginning of the war. This is not reflected in the model $y(W)$, where the P-level of coefficient a_1 is $0.267 > 0.05$, nor is it reflected in the model $y(Wt)$, where the P-level of coefficient a_2 is $0.275 > 0.05$. However, in the $y(W,Wt)$ model, both coefficients a_1 and a_2 were statistically significant ($P_1 = 0.016 < 0.05$ and $P_2 = 0.016 < 0.05$).

< 0.05). At the same time, since $a_2 = 18.54 > 0$, the war caused a growth effect in import prices of aluminum in Ukraine (Table 2).

Table 2. Levels of Significance of Metal Price Regression Coefficients (Ukraine's Imports and Terms of Trade)

Regression	Options	Import			Trading Condition		
		Aluminum	Iron ore	Copper	Aluminum	Iron ore	Copper
$y=a_0+a_1*W$	P(a1)	0,267	0,306	0,0088	0,200	0,350	0,028
$y=a_0+a_2*Wt$	P(a2)	0,275	0,305	0,0092	0,201	0,346	0,029
$y=a_0+a_1*W+a_2*Wt$	P(a1)	0,016	0,877	0,039	0,726	0,299	0,144
	P(a2)	0,016	0,871	0,041	0,733	0,296	0,149

Import prices of iron in Ukraine did not react significantly to the beginning of the war: in the model $y(W)$ p-level for coefficient a_1 is $0.306 > 0.05$, in the model $y(Wt)$ p-level for coefficient a_2 is $0.305 > 0.05$, in the model $y(W,Wt)$ both coefficients are not statistically significant as $P_1 = 0.877 > 0.05$, $P_2 = 0.871 > 0.05$.

Import prices of copper in Ukraine were found to be sensitive to the shock from the beginning of the war. In the model $y(W)$ P-level for coefficient a_1 is $0.0088 < 0.05$, in the model $y(Wt)$ P-level for coefficient a_2 is $0.0092 < 0.05$, and in the model $y(W,Wt)$ the significance levels for the coefficients are $P_1 = 0.039 < 0.05$ and $P_2 = 0.041 < 0.05$. In this case, since the value of coefficient $a_2 = -7.11 < 0$, the war led to a decrease in import prices for copper in Ukraine.

The terms of trade shows the relationship between export and import prices. If export prices change unidirectionally together with import prices, then even if the war effect is statistically significant separately for export prices and separately for import prices, it is likely that these dynamics will cancel each other out for the value of the terms of trade. In case of differently directed significant changes in export and import prices, on the contrary, there will be an amplification of the effect for the terms of trade. If there is a significant change for one of the components (export prices or import prices), the effect for the terms of trade can be either statistically significant or statistically insignificant, it can be revealed only by testing the statistical hypothesis.

Ukraine's terms of trade for aluminum turned out to be insensitive to the shock from the beginning of the war, for the model $y(W)$ P-level for coefficient a_1 is 0.200

> 0.05 , for the model $y(Wt)$ P-level for coefficient a_2 is $0.201 > 0.05$, for the model $y(W, Wt)$ both coefficients turned out to be statistically insignificant as $P_1 = 0.726 > 0.05$ and $P_2 = 0.733 > 0.05$. Thus, the significant change (increase) in aluminum export prices and the significant change (increase) in aluminum import prices mutually offset the effect of war on the terms of trade for aluminum.

Ukraine's terms of trade for iron turned out to be insensitive to the shock from the beginning of the war, for the model $y(W)$ P-level for coefficient a_1 is $0.350 > 0.05$, for the model $y(Wt)$ P-level for coefficient a_2 is $0.346 > 0.05$, for the model $y(W, Wt)$ both coefficients turned out to be statistically insignificant as $P_1 = 0.299 > 0.05$ and $P_2 = 0.296 > 0.05$. Thus, a significant change (increase) in iron export prices in the absence of a significant change in import prices did not result in a statistically significant change in the terms of trade for iron.

Under the influence of a significant increase in import prices for copper, at which export prices showed no significant dynamics in the first months of the war, the terms of trade for copper showed a significant decline. This is evidenced by a negative significant regression coefficient $a_1 = -9.86 < 0$ ($p = 0.028 < 0.05$) for the $y(W)$ model and a negative significant regression coefficient $a_2 = -0.088 < 0$ ($p = 0.029 < 0.05$) for the $y(Wt)$ model.

Chapter 6. CONCLUSIONS AND RECOMMENDATIONS

6.1 Main conclusions of the study.

The hypothesis testing has shown that the war had a strong impact on global aluminum prices. This is consistent with the mechanisms of influence transmission described above (expectations of a sharp reduction in supplies due to sanctions and others). World iron ore and copper prices in February-April 2022 showed the expected dynamics within their cycle and did not show sharp changes associated with the Russian-Ukrainian war.

For Ukraine's foreign trade, the beginning of the war had a more dramatic impact on metal prices. A moderate impact is noted in export prices of aluminum and ferrous metals. The war also had a noticeable and statistically significant impact on the growth of import prices of copper. In this regard, the already long declining terms of trade for copper have been markedly reduced by the beginning of the war.

Comparison of sensitivity of world prices and prices of Ukraine's foreign trade to the shock of the beginning of the war allows us to draw the following conclusions:

1) Aluminum prices both on the world market and in Ukraine's foreign trade (exports and imports) were characterized by a significant sensitivity to the war shock, while the effect in world aluminum prices was noticeably higher. The direction of movement of aluminum prices in all markets is growth. The terms of trade for aluminum in Ukraine did not change significantly, as the growth in export and import prices was statistically comparable.

2) World prices for iron ore did not show noticeable dynamics, also import prices for iron in Ukraine did not show noticeable dynamics. However, export prices for iron showed significant growth. Such results show, on the one hand, the decreasing influence of Ukrainian iron ore exports on the world market, on the other hand, they demonstrate the severity of the problems that led to an increase in the price of iron exports directly due to the hostilities on the territory of the country.

3) The copper price has not been significantly affected by the beginning of the military conflict on the world market, nor has it affected Ukrainian copper export

prices. However, Ukraine's copper import prices reacted significantly to the war shock, which also affected Ukraine's copper terms of trade.

6.2 Significance of the Russian-Ukrainian military conflict against the background of other factors shaping metal prices on the world market.

Among the three metals under consideration, only aluminum reacted with a significant price increase on the world market as a result of the shock from the beginning of the Russian-Ukrainian war, no statistically significant changes in iron ore and copper prices were found. In addition, within the cyclical dynamics of world prices, the duration of the shock from the impact of the war is limited to approximately three months. In general, the dynamics of all three metals show the following phase patterns: (1) price declines or extremely weak dynamics in the first months of the coronavirus pandemic (February-April 2020); (2) significant price increases in 2021, driven by the global economic recovery and the injection of money by the Federal Reserve and the European Central Bank; (3) some acceleration of growth or delayed price declines in the first months of the war; and (4) declines in metal prices in the second half of 2022 to the first half of 2023, influenced by the slowdown in China's economy and the global economy. The graphs of dynamics (Appendix 1) show that the most significant change in metal prices occurs in phases (2) and (4), and the impact of the war in phase (3), firstly, short-term in time, and secondly, not sustainable in impact. Thus, the impact of global factors (changes in global demand, monetary factors in major economies and others) looks like a much more significant driver of metal prices than the Russian-Ukrainian war.

6.3 Ways of using the results obtained in the work.

The obtained results of the study can be applied in a number of directions, among which the following can be noted:

- 1) War risks insurance. Despite the fact that in property insurance of many countries military-political events are regarded as an extreme force majeure circumstance and serve as an exception for the payment of insurance compensation for loss or damage to property, the demand for war risk insurance is increasingly growing and stimulates the expansion of the list of insurance types by adding war risk insurance. An example of one of the largest organizations insuring direct investments

against military risks is the Multilateral Investment Guarantee Agency (MIGA), a member of the World Bank Group. During 2022, the agency provided guarantees for 54 projects worth \$4.9 billion. The American International Development Finance Corporation (DFC) is also engaged in war risk insurance. It specializes in supporting investors who are willing to invest in high-risk countries. DFC was established in December 2019, since then it has provided guarantees for 4 thousand projects, the total amount of investments in which amounted to \$200 billion. Such companies are usually professionally engaged in calculating the degree of military risk both for individual countries and for individual industries and groups of goods.

When assessing the risk of war, the coefficients with the dummy variable W can serve as a basis for taking into account the relative dynamics of metal prices. In this case, the coefficients are comparable for comparing the dynamics of metal prices among themselves, since all regression models are calculated by percentage changes to a single base period. For example, from Appendix 3, the obtained values of coefficients a_1 : 16.0 for aluminum, 4.7 for iron ore and 3.8 for copper show that the risk of war for world aluminum prices is about 3.4 times higher than for iron ore and 4.2 times higher than for copper.

2) Accounting for military risks in international contracts. Military risks are being incorporated into international export-import contracts more and more often, especially in the foreign trade practice of Ukraine, where a legislative basis is being created for this purpose. Ukrainian draft law No. 9015 amends the law "On Financial Mechanisms to Stimulate Export Activity" No. 1792-VIII and authorizes the Export Credit Agency (ECA) to insure and reinsure direct investments in Ukraine against risks that may be caused by armed aggression, hostilities and/or terrorism. ECA acts as a guarantor of fulfillment of foreign economic contracts, factoring agreements, letters of credit, etc. If, for example, a company wants to take out a loan to finance an export contract, the bank will not grant the loan without insurance, which ECA can provide. In order to assess risks and calculate insurance premiums, organizations such as ECAs may need industry-specific risk ratios, which can be derived from the results of this paper.

3) Accounting for military risks in metal exchange trading. In order to diversify investments in commodities and metals in particular, it may be necessary to calculate the mean square deviation of metal price quotations. The dynamics of metal prices, except for the trend and cyclical component, includes the variation caused by military and political factors. The coefficients calculated in this paper can be used to calculate the overall risk in exchange trading of metals and financial derivatives linked to metal prices.

ANNEX 1

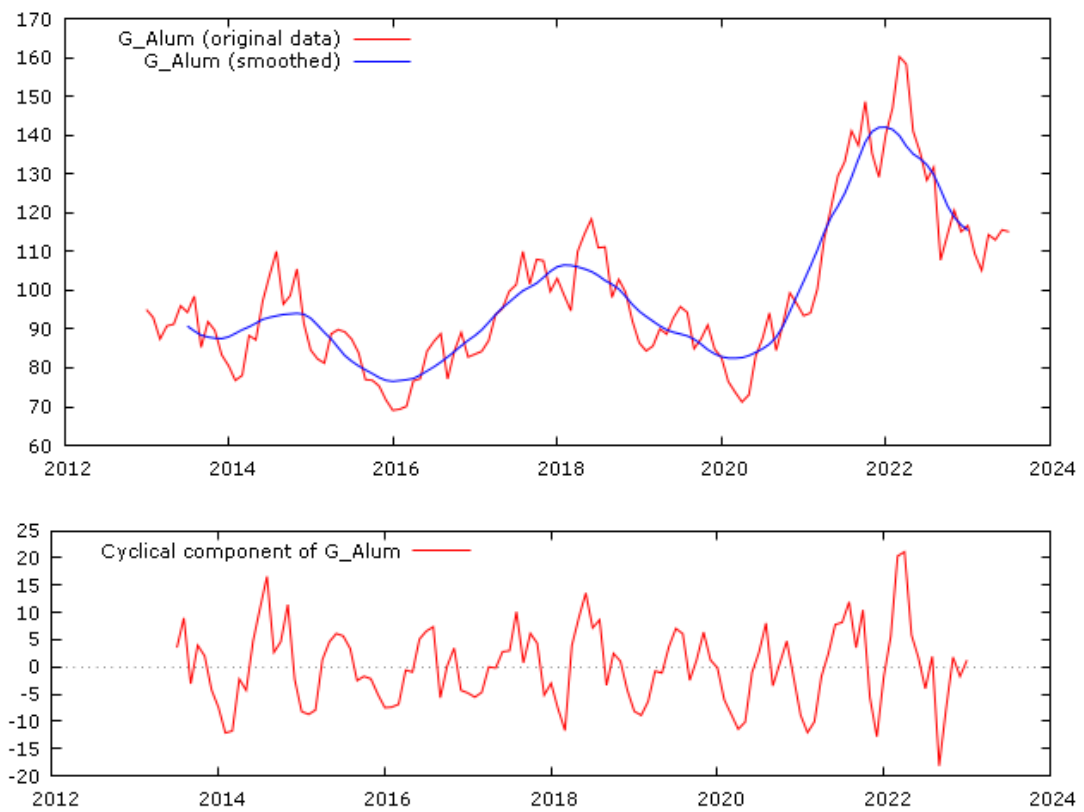
Smoothing Time Series with a 12-Month Centered Simple Moving Average

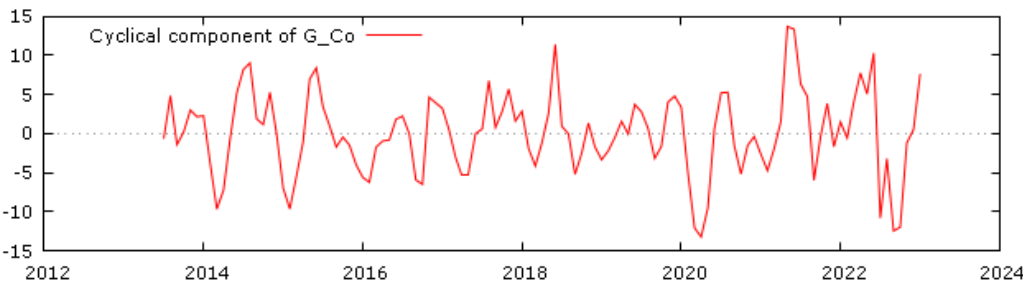
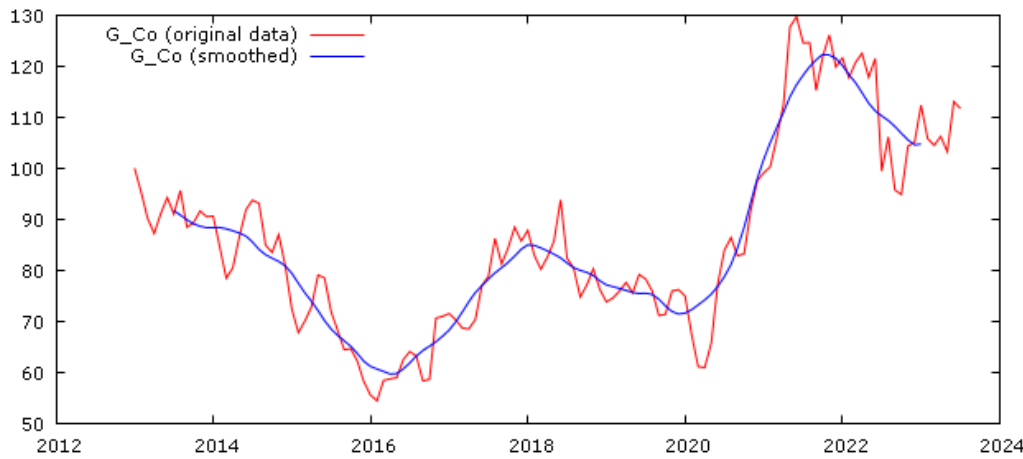
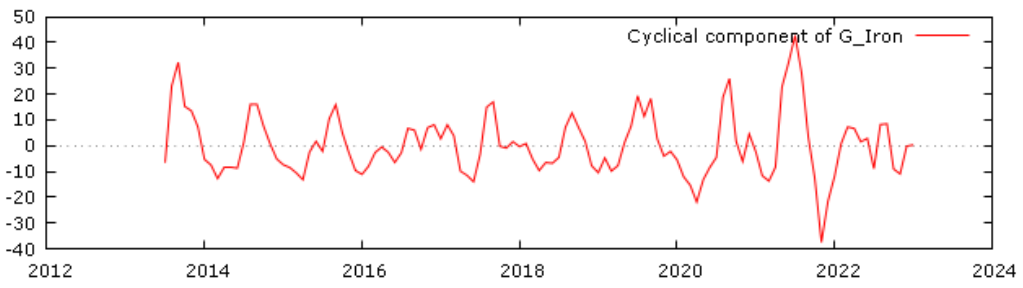
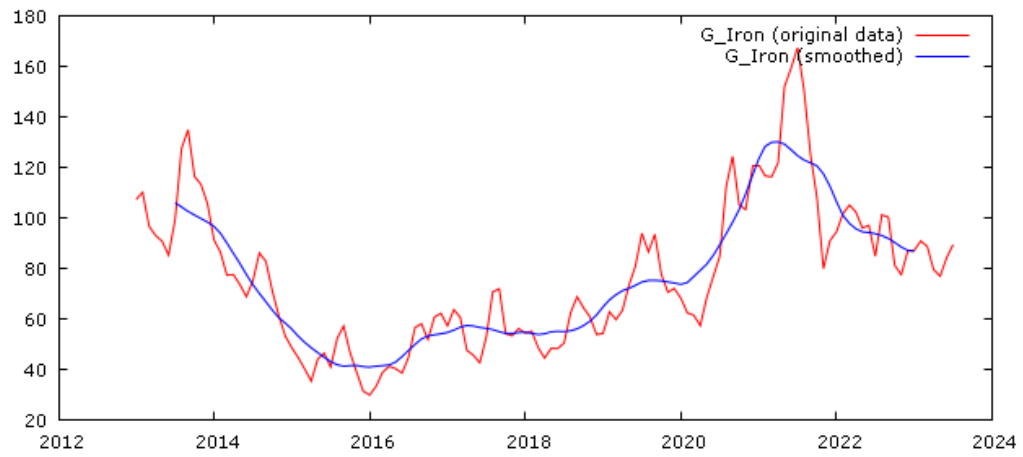
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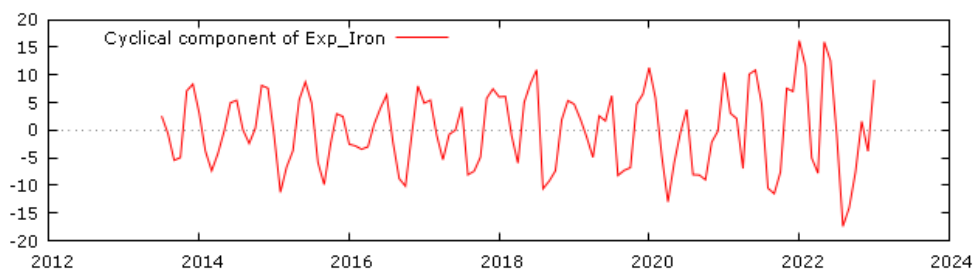
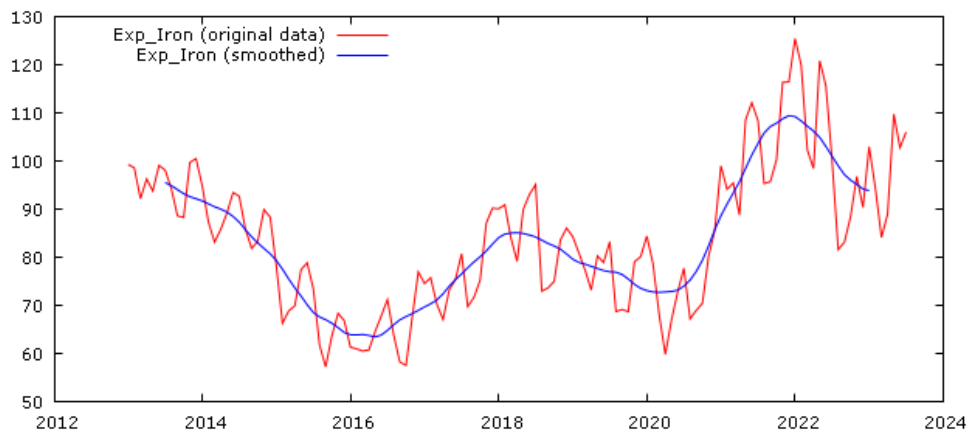
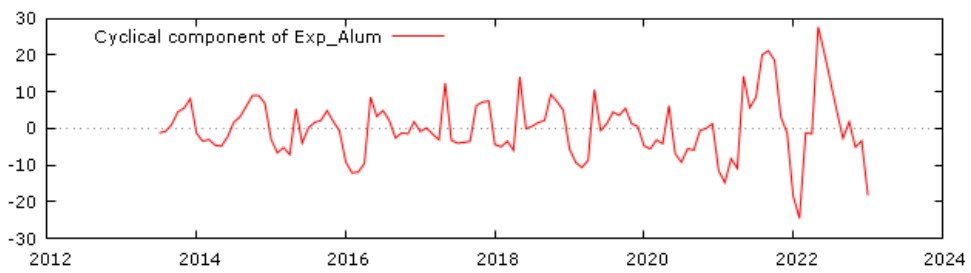
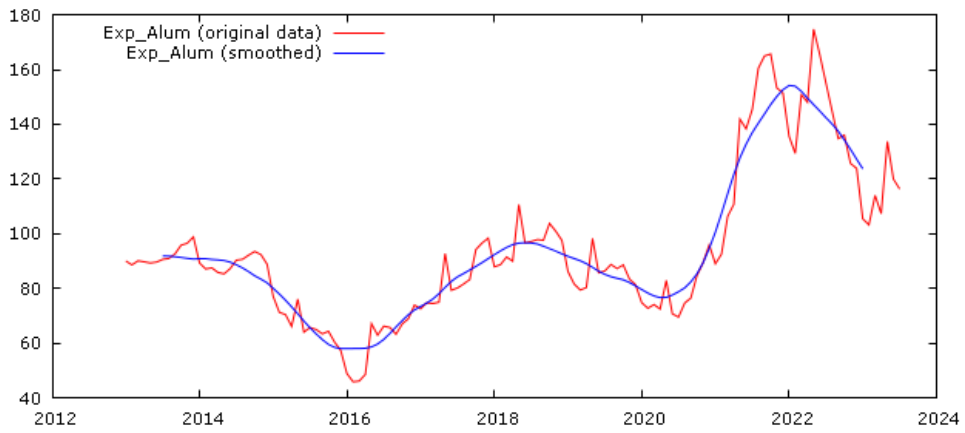
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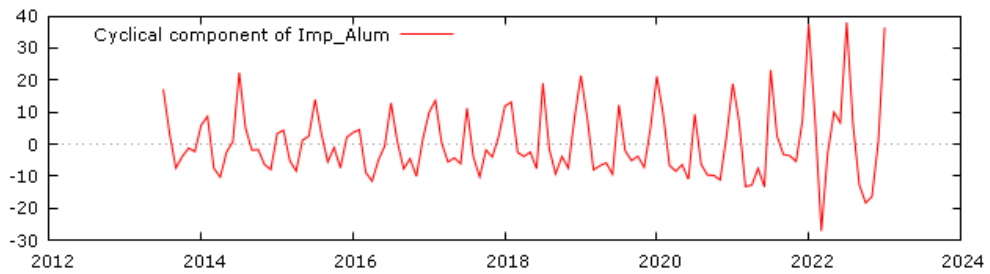
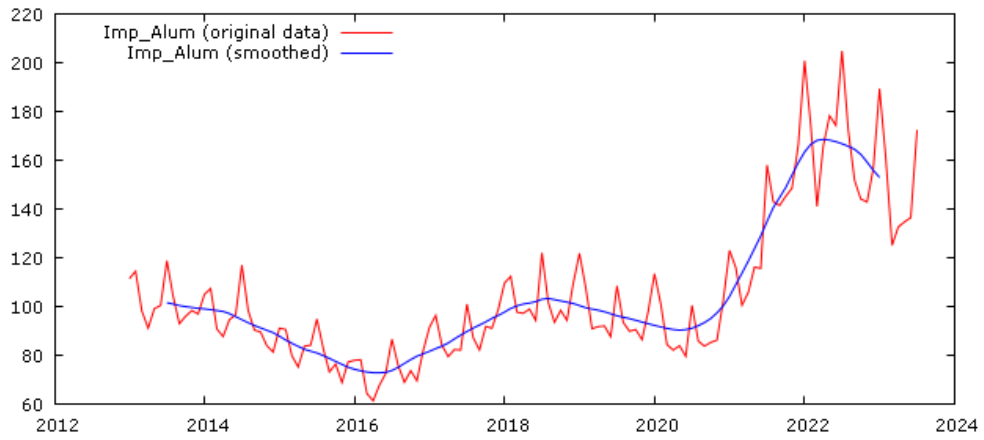
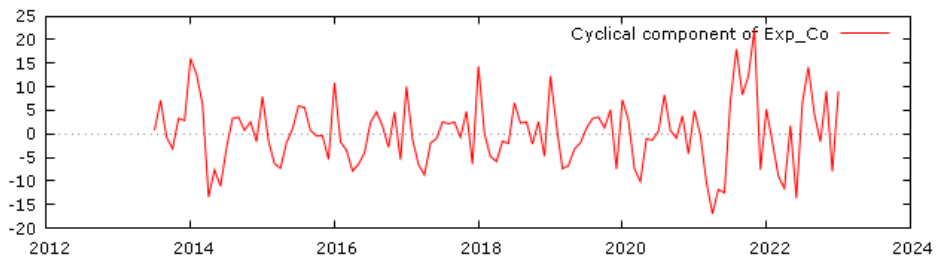
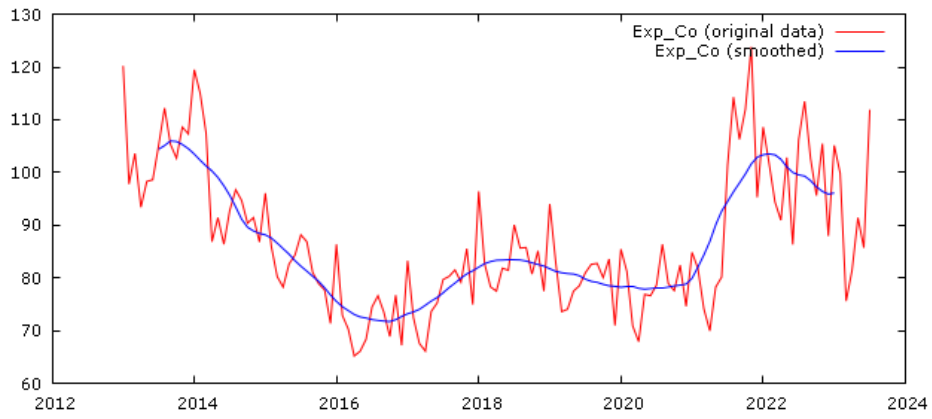
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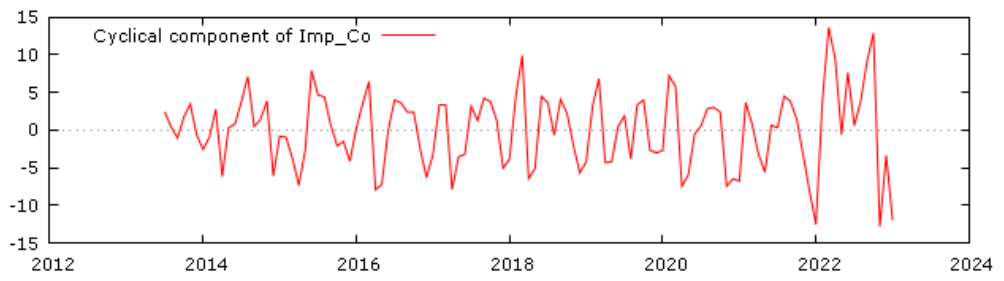
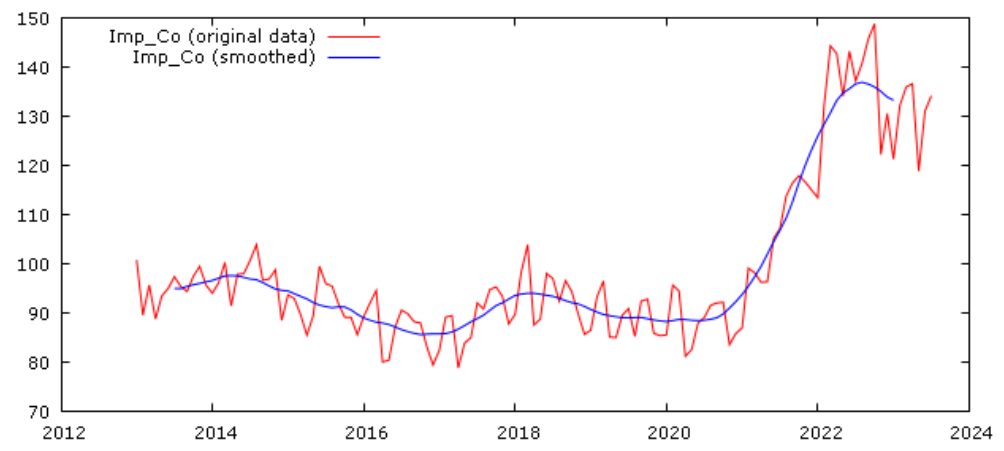
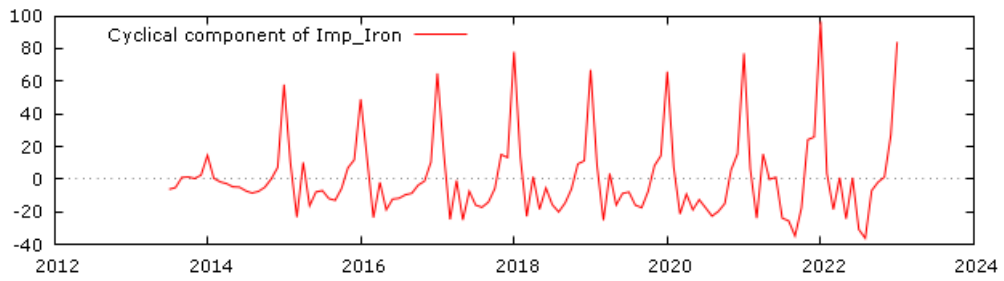
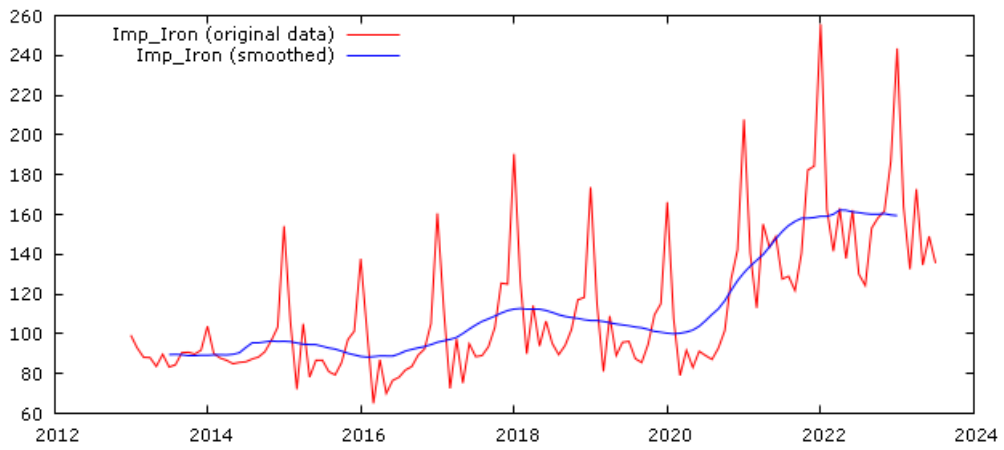
TT_Alum, TT_Iron, TT_Co – for basic indices of the terms of trade of Ukraine.

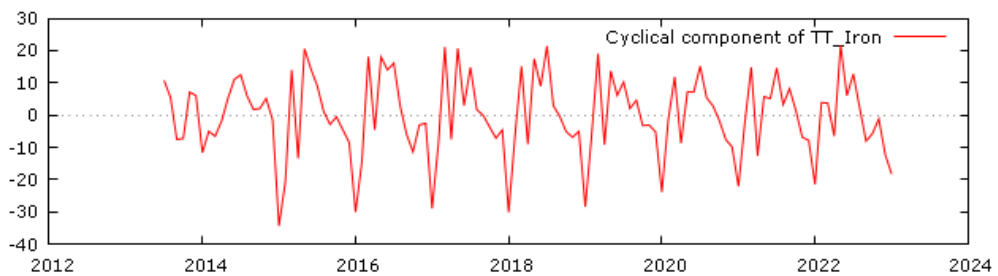
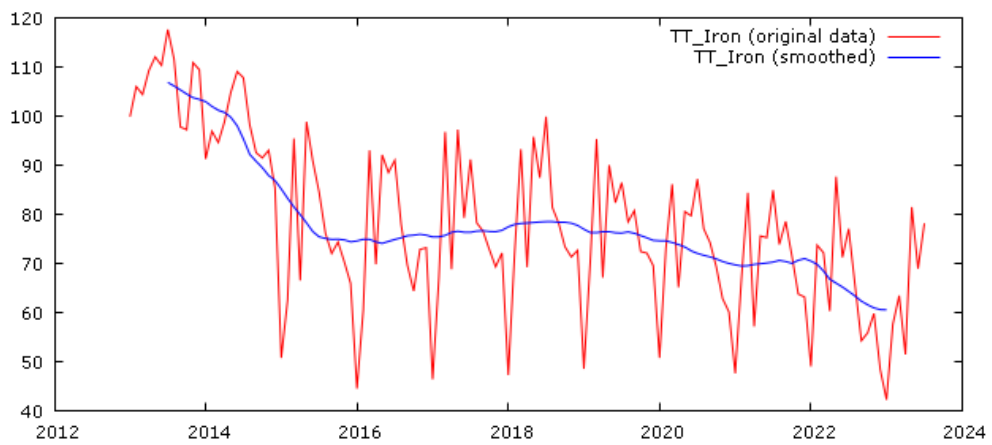
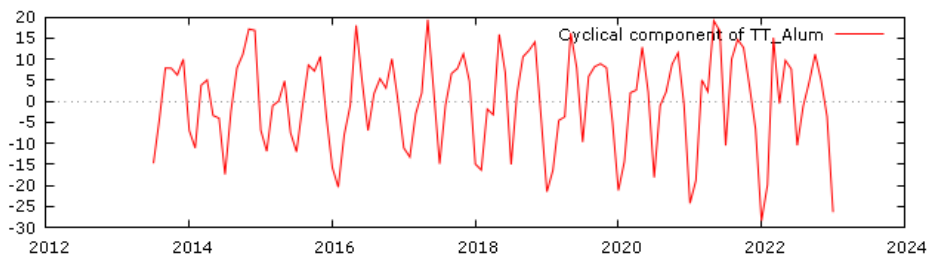
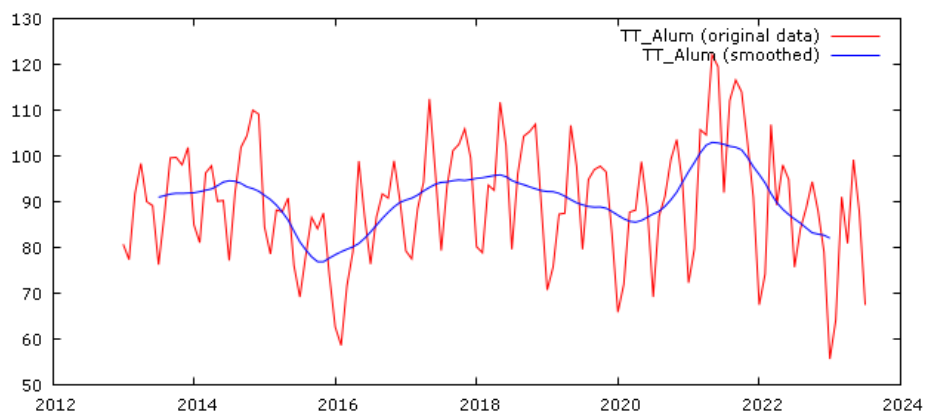


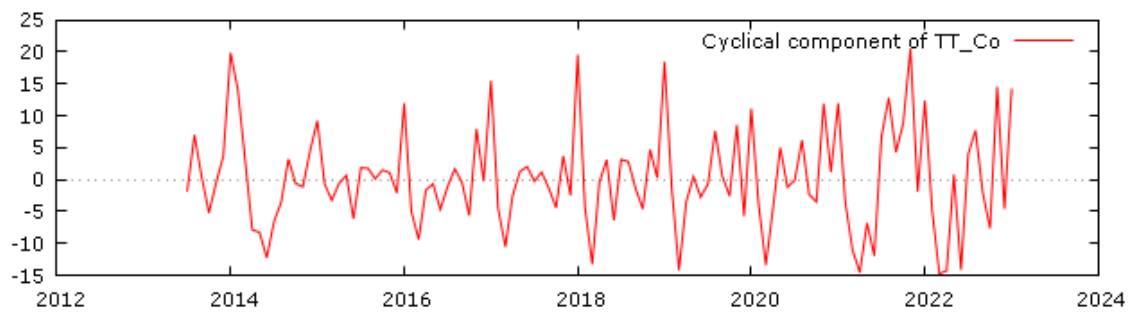
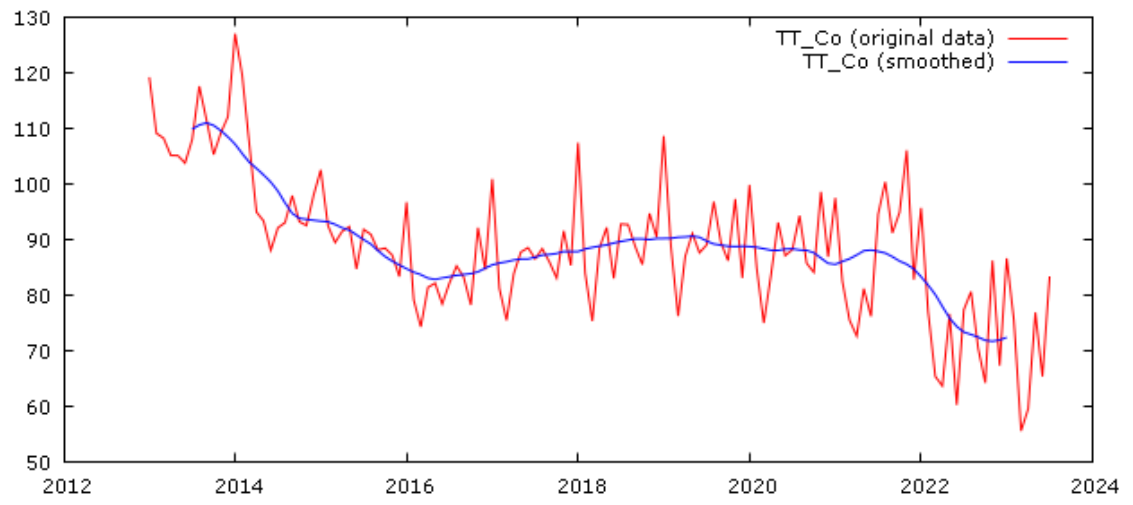












ANNEX 2

Checking the Stationarity of Smoothed Series Using the Dickey-Fuller Test

Augmented Dickey-Fuller test for mc_G_Alum
including 2 lags of (1-L)mc_G_Alum
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)*y(-1) + \dots + e$
estimated value of (a - 1): -0.599611
test statistic: $\tau_{nc}(1) = -6.20842$
asymptotic p-value 1.505e-009
1st-order autocorrelation coeff. for e: -0.037
lagged differences: $F(2, 109) = 4.236$ [0.0169]

Augmented Dickey-Fuller test for mc_G_Iron
including 2 lags of (1-L)mc_G_Iron
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)*y(-1) + \dots + e$
estimated value of (a - 1): -0.539739
test statistic: $\tau_{nc}(1) = -6.88651$
asymptotic p-value 3.394e-011
1st-order autocorrelation coeff. for e: -0.037
lagged differences: $F(2, 109) = 15.755$ [0.0000]

Augmented Dickey-Fuller test for mc_G_Co
including 2 lags of (1-L)mc_G_Co
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)*y(-1) + \dots + e$
estimated value of (a - 1): -0.773628
test statistic: $\tau_{nc}(1) = -7.90826$
asymptotic p-value 8.236e-014
1st-order autocorrelation coeff. for e: -0.040
lagged differences: $F(2, 109) = 12.422$ [0.0000]

Augmented Dickey-Fuller test for mc_Exp_Alum
including 2 lags of (1-L)mc_Exp_Alum
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -0.684518
test statistic: $\tau_{nc}(1) = -6.85064$
asymptotic p-value 4.166e-011
1st-order autocorrelation coeff. for e: -0.109
lagged differences: $F(2, 109) = 8.700$ [0.0003]

Augmented Dickey-Fuller test for mc_Exp_Iron
including 2 lags of (1-L)mc_Exp_Iron
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.15572
test statistic: $\tau_{nc}(1) = -10.1997$
asymptotic p-value 5.484e-020
1st-order autocorrelation coeff. for e: 0.087
lagged differences: $F(2, 109) = 28.924$ [0.0000]

Augmented Dickey-Fuller test for mc_Exp_Co
including 5 lags of (1-L)mc_Exp_Co
sample size 109
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.02658
test statistic: $\tau_{nc}(1) = -4.5805$
asymptotic p-value 5.28e-006
1st-order autocorrelation coeff. for e: 0.076
lagged differences: $F(5, 103) = 5.081$ [0.0003]

Augmented Dickey-Fuller test for mc_Imp_Alum
including 2 lags of (1-L)mc_Imp_Alum
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.33275
test statistic: $\tau_{nc}(1) = -9.08046$
asymptotic p-value 6.098e-017
1st-order autocorrelation coeff. for e: -0.123
lagged differences: $F(2, 109) = 15.279$ [0.0000]

Augmented Dickey-Fuller test for mc_Imp_Iron
including 5 lags of (1-L)mc_Imp_Iron
sample size 109
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.4625
test statistic: tau_nc(1) = -7.03689
asymptotic p-value 1.428e-011
1st-order autocorrelation coeff. for e: -0.057
lagged differences: $F(5, 103) = 5.473$ [0.0002]

Augmented Dickey-Fuller test for mc_Imp_Co
including 2 lags of (1-L)mc_Imp_Co
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.1843
test statistic: tau_nc(1) = -7.60477
asymptotic p-value 5.086e-013
1st-order autocorrelation coeff. for e: 0.000
lagged differences: $F(2, 109) = 7.806$ [0.0007]

Augmented Dickey-Fuller test for mc_TT_Alum
including 2 lags of (1-L)mc_TT_Alum
sample size 112
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.06238
test statistic: tau_nc(1) = -8.15514
asymptotic p-value 1.843e-014
1st-order autocorrelation coeff. for e: -0.075
lagged differences: $F(2, 109) = 14.655$ [0.0000]

Augmented Dickey-Fuller test for mc_TT_Iron
including 5 lags of (1-L)mc_TT_Iron
sample size 109
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)y(-1) + \dots + e$
estimated value of (a - 1): -1.82615
test statistic: tau_nc(1) = -9.57219
asymptotic p-value 2.815e-018
1st-order autocorrelation coeff. for e: -0.148
lagged differences: $F(5, 103) = 10.991$ [0.0000]

Augmented Dickey-Fuller test for mc_TT_Co
including 5 lags of (1-L)mc_TT_Co
sample size 109
unit-root null hypothesis: a = 1

test without constant
model: $(1-L)y = (a-1)*y(-1) + \dots + e$
estimated value of (a - 1): -1.33055
test statistic: tau_nc(1) = -5.31004
asymptotic p-value 1.641e-007
1st-order autocorrelation coeff. for e: 0.007
lagged differences: F(5, 103) = 2.942 [0.0160]

ANNEX 3

$$\text{Regression } \hat{y}_t = a_0 + a_1 \cdot W + \varepsilon_t$$

Model 1: OLS, using observations 2013:07–2023:01 (T = 115)

Dependent variable: mc_G_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.337257	0.629565	-0.5357	0.5932
W1	16.0088	3.89788	4.107	7.61e-05 ***
Mean dependent var	0.080364	S.D. dependent var	7.111283	
Sum squared resid	5016.227	S.E. of regression	6.662687	
R-squared	0.129885	Adjusted R-squared	0.122185	
F(1, 113)	16.86794	P-value(F)	0.000076	
Log-likelihood	-380.2693	Akaike criterion	764.5385	
Schwarz criterion	770.0284	Hannan-Quinn	766.7668	
rho	0.523956	Durbin-Watson	0.949131	

Model 3: OLS, using observations 2013:07–2023:01 (T = 115)

Dependent variable: mc_G_Iron

	coefficient	std. error	t-ratio	p-value
const	0.202294	1.15072	0.1758	0.8608
W1	4.69314	7.12455	0.6587	0.5114
Mean dependent var	0.324724	S.D. dependent var	12.14779	
Sum squared resid	16758.49	S.E. of regression	12.17806	
R-squared	0.003825	Adjusted R-squared	-0.004990	
F(1, 113)	0.433922	P-value(F)	0.511411	
Log-likelihood	-449.6273	Akaike criterion	903.2546	
Schwarz criterion	908.7445	Hannan-Quinn	905.4829	
rho	0.672372	Durbin-Watson	0.652485	

Model 4: OLS, using observations 2013:07–2023:01 (T = 115)

Dependent variable: mc_G_Co

	coefficient	std. error	t-ratio	p-value
const	-0.116830	0.495198	-0.2359	0.8139
W1	3.83107	3.06596	1.250	0.2140
Mean dependent var	-0.016889	S.D. dependent var	5.253568	
Sum squared resid	3103.515	S.E. of regression	5.240681	
R-squared	0.013629	Adjusted R-squared	0.004900	
F(1, 113)	1.561368	P-value(F)	0.214047	
Log-likelihood	-352.6610	Akaike criterion	709.3221	
Schwarz criterion	714.8119	Hannan-Quinn	711.5504	
rho	0.532378	Durbin-Watson	0.936395	

Model 6: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.0614302	0.766018	-0.08019	0.9362
W2	8.36916	4.74272	1.765	0.0803 *
Mean dependent var	0.156896	S.D. dependent var	8.181593	
Sum squared resid	7426.339	S.E. of regression	8.106776	
R-squared	0.026818	Adjusted R-squared	0.018206	
F(1, 113)	3.113932	P-value(F)	0.080327	
Log-likelihood	-402.8297	Akaike criterion	809.6593	
Schwarz criterion	815.1492	Hannan-Quinn	811.8876	
rho	0.551034	Durbin-Watson	0.902290	

Model 7: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Iron

	coefficient	std. error	t-ratio	p-value
const	-0.0509786	0.660556	-0.07718	0.9386
W2	1.10443	4.08976	0.2700	0.7876
Mean dependent var	-0.022167	S.D. dependent var	6.962189	
Sum squared resid	5522.253	S.E. of regression	6.990672	
R-squared	0.000645	Adjusted R-squared	-0.008199	
F(1, 113)	0.072925	P-value(F)	0.787617	
Log-likelihood	-385.7954	Akaike criterion	775.5909	
Schwarz criterion	781.0808	Hannan-Quinn	777.8192	
rho	0.431188	Durbin-Watson	1.134309	

Model 8: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Co

	coefficient	std. error	t-ratio	p-value
const	0.430250	0.661544	0.6504	0.5168
W2	-6.67113	4.09588	-1.629	0.1062
Mean dependent var	0.256221	S.D. dependent var	7.051688	
Sum squared resid	5538.770	S.E. of regression	7.001119	
R-squared	0.022938	Adjusted R-squared	0.014291	
F(1, 113)	2.652806	P-value(F)	0.106152	
Log-likelihood	-385.9672	Akaike criterion	775.9344	
Schwarz criterion	781.4242	Hannan-Quinn	778.1627	
rho	0.199708	Durbin-Watson	1.592559	

Model 9: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Alum

	coefficient	std. error	t-ratio	p-value
const	0.530447	1.03901	0.5105	0.6107
W2	-7.17264	6.43290	-1.115	0.2672
Mean dependent var	0.343334	S.D. dependent var	11.00754	
Sum squared resid	13662.59	S.E. of regression	10.99581	
R-squared	0.010882	Adjusted R-squared	0.002129	
F(1, 113)	1.243212	P-value(F)	0.267219	
Log-likelihood	-437.8833	Akaike criterion	879.7666	
Schwarz criterion	885.2565	Hannan-Quinn	881.9949	
rho	0.262882	Durbin-Watson	1.409277	

Model 10: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Iron

	coefficient	std. error	t-ratio	p-value
const	0.878886	2.33494	0.3764	0.7073
W2	-14.8661	14.4565	-1.028	0.3060
Mean dependent var	0.491076	S.D. dependent var	24.71692	
Sum squared resid	68999.90	S.E. of regression	24.71070	
R-squared	0.009271	Adjusted R-squared	0.000504	
F(1, 113)	1.057458	P-value(F)	0.305992	
Log-likelihood	-531.0013	Akaike criterion	1066.003	
Schwarz criterion	1071.492	Hannan-Quinn	1068.231	
rho	0.362591	Durbin-Watson	1.246537	

Model 11: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Co

	coefficient	std. error	t-ratio	p-value
const	-0.182981	0.465680	-0.3929	0.6951
W2	7.68821	2.88321	2.667	0.0088 ***
Mean dependent var	0.017581	S.D. dependent var	5.058646	
Sum squared resid	2744.549	S.E. of regression	4.928290	
R-squared	0.059200	Adjusted R-squared	0.050874	
F(1, 113)	7.110486	P-value(F)	0.008788	
Log-likelihood	-345.5932	Akaike criterion	695.1865	
Schwarz criterion	700.6763	Hannan-Quinn	697.4148	
rho	0.191292	Durbin-Watson	1.583548	

Model 12: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.287891	1.04743	-0.2749	0.7839
W2	8.35390	6.48502	1.288	0.2003
Mean dependent var	-0.069963	S.D. dependent var	11.11693	
Sum squared resid	13884.91	S.E. of regression	11.08491	
R-squared	0.014473	Adjusted R-squared	0.005751	
F(1, 113)	1.659417	P-value(F)	0.200314	
Log-likelihood	-438.8114	Akaike criterion	881.6228	
Schwarz criterion	887.1127	Hannan-Quinn	883.8511	
rho	0.385090	Durbin-Watson	1.203499	

Model 13: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Iron

	coefficient	std. error	t-ratio	p-value
const	-0.335271	1.14267	-0.2934	0.7697
W2	6.63632	7.07470	0.9380	0.3502
Mean dependent var	-0.162150	S.D. dependent var	12.08648	
Sum squared resid	16524.79	S.E. of regression	12.09285	
R-squared	0.007727	Adjusted R-squared	-0.001055	
F(1, 113)	0.879910	P-value(F)	0.350227	
Log-likelihood	-448.8198	Akaike criterion	901.6396	
Schwarz criterion	907.1295	Hannan-Quinn	903.8679	
rho	0.195216	Durbin-Watson	1.590229	

Model 14: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Co

	coefficient	std. error	t-ratio	p-value
const	0.454751	0.716244	0.6349	0.5268
W2	-9.85901	4.43455	-2.223	0.0282 **
Mean dependent var	0.197559	S.D. dependent var	7.709977	
Sum squared resid	6492.593	S.E. of regression	7.580012	
R-squared	0.041908	Adjusted R-squared	0.033429	
F(1, 113)	4.942746	P-value(F)	0.028190	
Log-likelihood	-395.1033	Akaike criterion	794.2067	
Schwarz criterion	799.6965	Hannan-Quinn	796.4350	
rho	0.067149	Durbin-Watson	1.839531	

ANNEX 4

$$\text{Regression } \hat{y}_t = a_0 + a_2 \cdot Wt + \varepsilon_t$$

Model 15: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_G_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.338486	0.629285	-0.5379	0.5917
W1_t	0.144648	0.0350995	4.121	7.22e-05 ***
Mean dependent var	0.080364	S.D. dependent var	7.111283	
Sum squared resid	5011.773	S.E. of regression	6.659727	
R-squared	0.130658	Adjusted R-squared	0.122965	
F(1, 113)	16.98338	P-value(F)	0.000072	
Log-likelihood	-380.2182	Akaike criterion	764.4363	
Schwarz criterion	769.9262	Hannan-Quinn	766.6646	
rho	0.524111	Durbin-Watson	0.948815	

Model 16: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_G_Iron

	coefficient	std. error	t-ratio	p-value
const	0.201822	1.15070	0.1754	0.8611
W1_t	0.0424436	0.0641824	0.6613	0.5098
Mean dependent var	0.324724	S.D. dependent var	12.14779	
Sum squared resid	16757.99	S.E. of regression	12.17788	
R-squared	0.003855	Adjusted R-squared	-0.004960	
F(1, 113)	0.437312	P-value(F)	0.509769	
Log-likelihood	-449.6256	Akaike criterion	903.2512	
Schwarz criterion	908.7411	Hannan-Quinn	905.4795	
rho	0.672367	Durbin-Watson	0.652494	

Model 17: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_G_Co

	coefficient	std. error	t-ratio	p-value
const	-0.117493	0.495152	-0.2373	0.8129
W1_t	0.0347431	0.0276180	1.258	0.2110
Mean dependent var	-0.016889	S.D. dependent var	5.253568	
Sum squared resid	3102.941	S.E. of regression	5.240196	
R-squared	0.013811	Adjusted R-squared	0.005084	
F(1, 113)	1.582539	P-value(F)	0.210989	
Log-likelihood	-352.6504	Akaike criterion	709.3008	
Schwarz criterion	714.7907	Hannan-Quinn	711.5291	
rho	0.532379	Durbin-Watson	0.936393	

Model 18: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.0637208	0.765795	-0.08321	0.9338
W2_t	0.0755086	0.0423322	1.784	0.0772 *
Mean dependent var	0.156896	S.D. dependent var	8.181593	
Sum squared resid	7422.011	S.E. of regression	8.104413	
R-squared	0.027385	Adjusted R-squared	0.018778	
F(1, 113)	3.181642	P-value(F)	0.077154	
Log-likelihood	-402.7961	Akaike criterion	809.5923	
Schwarz criterion	815.0821	Hannan-Quinn	811.8206	
rho	0.551061	Durbin-Watson	0.902241	

Model 19: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Iron

	coefficient	std. error	t-ratio	p-value
const	-0.0526468	0.660531	-0.07970	0.9366
W2_t	0.0104319	0.0365133	0.2857	0.7756
Mean dependent var	-0.022167	S.D. dependent var	6.962189	
Sum squared resid	5521.828	S.E. of regression	6.990403	
R-squared	0.000722	Adjusted R-squared	-0.008121	
F(1, 113)	0.081625	P-value(F)	0.775630	
Log-likelihood	-385.7910	Akaike criterion	775.5821	
Schwarz criterion	781.0719	Hannan-Quinn	777.8104	
rho	0.431038	Durbin-Watson	1.134602	

Model 20: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Co

	coefficient	std. error	t-ratio	p-value
const	0.429386	0.661620	0.6490	0.5177
W2_t	-0.0592679	0.0365735	-1.621	0.1079
Mean dependent var	0.256221	S.D. dependent var	7.051688	
Sum squared resid	5540.051	S.E. of regression	7.001928	
R-squared	0.022712	Adjusted R-squared	0.014063	
F(1, 113)	2.626065	P-value(F)	0.107909	
Log-likelihood	-385.9805	Akaike criterion	775.9610	
Schwarz criterion	781.4508	Hannan-Quinn	778.1893	
rho	0.199662	Durbin-Watson	1.592648	

Model 21: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Alum

	coefficient	std. error	t-ratio	p-value
const	0.527481	1.03919	0.5076	0.6127
W2_t	-0.0630265	0.0574449	-1.097	0.2749
Mean dependent var	0.343334	S.D. dependent var	11.00754	
Sum squared resid	13667.31	S.E. of regression	10.99771	
R-squared	0.010541	Adjusted R-squared	0.001784	
F(1, 113)	1.203768	P-value(F)	0.274902	
Log-likelihood	-437.9032	Akaike criterion	879.8063	
Schwarz criterion	885.2962	Hannan-Quinn	882.0346	
rho	0.262612	Durbin-Watson	1.409774	

Model 22: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Iron

	coefficient	std. error	t-ratio	p-value
const	0.879321	2.33491	0.3766	0.7072
W2_t	-0.132881	0.129071	-1.030	0.3054
Mean dependent var	0.491076	S.D. dependent var	24.71692	
Sum squared resid	68998.42	S.E. of regression	24.71043	
R-squared	0.009293	Adjusted R-squared	0.000525	
F(1, 113)	1.059909	P-value(F)	0.305434	
Log-likelihood	-531.0001	Akaike criterion	1066.000	
Schwarz criterion	1071.490	Hannan-Quinn	1068.228	
rho	0.362599	Durbin-Watson	1.246522	

Model 23: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Co

	coefficient	std. error	t-ratio	p-value
const	-0.181837	0.465845	-0.3903	0.6970
W2_t	0.0682532	0.0257514	2.650	0.0092 ***
Mean dependent var	0.017581	S.D. dependent var	5.058646	
Sum squared resid	2746.504	S.E. of regression	4.930045	
R-squared	0.058529	Adjusted R-squared	0.050198	
F(1, 113)	7.024992	P-value(F)	0.009191	
Log-likelihood	-345.6342	Akaike criterion	695.2683	
Schwarz criterion	700.7582	Hannan-Quinn	697.4966	
rho	0.191278	Durbin-Watson	1.583595	

Model 24: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.287450	1.04746	-0.2744	0.7843
W2_t	0.0744375	0.0579021	1.286	0.2012
Mean dependent var	-0.069963	S.D. dependent var	11.11693	
Sum squared resid	13885.72	S.E. of regression	11.08524	
R-squared	0.014415	Adjusted R-squared	0.005693	
F(1, 113)	1.652701	P-value(F)	0.201220	
Log-likelihood	-438.8148	Akaike criterion	881.6295	
Schwarz criterion	887.1194	Hannan-Quinn	883.8578	
rho	0.384884	Durbin-Watson	1.203890	

Model 25: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Iron

	coefficient	std. error	t-ratio	p-value
const	-0.336693	1.14259	-0.2947	0.7688
W2_t	0.0597396	0.0631612	0.9458	0.3463
Mean dependent var	-0.162150	S.D. dependent var	12.08648	
Sum squared resid	16522.66	S.E. of regression	12.09207	
R-squared	0.007855	Adjusted R-squared	-0.000926	
F(1, 113)	0.894590	P-value(F)	0.346255	
Log-likelihood	-448.8124	Akaike criterion	901.6248	
Schwarz criterion	907.1147	Hannan-Quinn	903.8531	
rho	0.195241	Durbin-Watson	1.590176	

Model 26: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Co

	coefficient	std. error	t-ratio	p-value
const	0.453500	0.716394	0.6330	0.5280
W2_t	-0.0875988	0.0396014	-2.212	0.0290 **
Mean dependent var	0.197559	S.D. dependent var	7.709977	
Sum squared resid	6495.333	S.E. of regression	7.581611	
R-squared	0.041504	Adjusted R-squared	0.033021	
F(1, 113)	4.892995	P-value(F)	0.028978	
Log-likelihood	-395.1276	Akaike criterion	794.2552	
Schwarz criterion	799.7450	Hannan-Quinn	796.4835	
rho	0.067177	Durbin-Watson	1.839484	

ANNEX 5

$$\text{Regression } \hat{y}_t = a_0 + a_1 \cdot W + a_2 \cdot Wt + \varepsilon_t$$

Model 27: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_G_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.337257	0.624686	-0.5399	0.5903
W1	-847.909	518.908	-1.634	0.1051
W1_t	7.78305	4.67472	1.665	0.0987 *
Mean dependent var	0.080364	S.D. dependent var	7.111283	
Sum squared resid	4895.076	S.E. of regression	6.611054	
R-squared	0.150900	Adjusted R-squared	0.135738	
F(2, 112)	9.952209	P-value(F)	0.000105	
Log-likelihood	-378.8635	Akaike criterion	763.7269	
Schwarz criterion	771.9617	Hannan-Quinn	767.0694	
rho	0.524680	Durbin-Watson	0.947610	

Model 28: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_G_Iron

	coefficient	std. error	t-ratio	p-value
const	0.202294	1.15523	0.1751	0.8613
W1	-325.722	959.619	-0.3394	0.7349
W1_t	2.97672	8.64497	0.3443	0.7312
Mean dependent var	0.324724	S.D. dependent var	12.14779	
Sum squared resid	16740.77	S.E. of regression	12.22584	
R-squared	0.004879	Adjusted R-squared	-0.012891	
F(2, 112)	0.274550	P-value(F)	0.760424	
Log-likelihood	-449.5665	Akaike criterion	905.1330	
Schwarz criterion	913.3678	Hannan-Quinn	908.4754	
rho	0.670680	Durbin-Watson	0.655866	

Model 29: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_G_Co

	coefficient	std. error	t-ratio	p-value
const	-0.116830	0.494626	-0.2362	0.8137
W1	-457.618	410.871	-1.114	0.2678
W1_t	4.15720	3.70144	1.123	0.2638
Mean dependent var	-0.016889	S.D. dependent var		5.253568
Sum squared resid	3068.950	S.E. of regression		5.234629
R-squared	0.024615	Adjusted R-squared		0.007197
F(2, 112)	1.413200	P-value(F)		0.247669
Log-likelihood	-352.0171	Akaike criterion		710.0341
Schwarz criterion	718.2689	Hannan-Quinn		713.3766
rho	0.533553	Durbin-Watson		0.934104

Model 30: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Alum

	coefficient	std. error	t-ratio	p-value
const	-0.0614302	0.747508	-0.08218	0.9347
W2	-1609.14	626.527	-2.568	0.0115 **
W2_t	14.4420	5.59384	2.582	0.0111 **
Mean dependent var	0.156896	S.D. dependent var		8.181593
Sum squared resid	7009.195	S.E. of regression		7.910885
R-squared	0.081482	Adjusted R-squared		0.065080
F(2, 112)	4.967802	P-value(F)		0.008568
Log-likelihood	-399.5056	Akaike criterion		805.0112
Schwarz criterion	813.2459	Hannan-Quinn		808.3536
rho	0.487871	Durbin-Watson		1.022912

Model 31: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Iron

	coefficient	std. error	t-ratio	p-value
const	-0.0509786	0.650186	-0.07841	0.9376
W2	-1171.92	544.956	-2.150	0.0337 **
W2_t	10.4735	4.86554	2.153	0.0335 **
Mean dependent var	-0.022167	S.D. dependent var		6.962189
Sum squared resid	5302.866	S.E. of regression		6.880917
R-squared	0.040347	Adjusted R-squared		0.023210
F(2, 112)	2.354428	P-value(F)		0.099631
Log-likelihood	-383.4645	Akaike criterion		772.9290
Schwarz criterion	781.1638	Hannan-Quinn		776.2714
rho	0.447328	Durbin-Watson		1.102402

Model 32: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Exp_Co

	coefficient	std. error	t-ratio	p-value
const	0.430250	0.661035	0.6509	0.5165
W2	-606.995	554.049	-1.096	0.2756
W2_t	5.36004	4.94673	1.084	0.2809
Mean dependent var	0.256221	S.D. dependent var	7.051688	
Sum squared resid	5481.310	S.E. of regression	6.995732	
R-squared	0.033074	Adjusted R-squared	0.015807	
F(2, 112)	1.915489	P-value(F)	0.152063	
Log-likelihood	-385.3676	Akaike criterion	776.7351	
Schwarz criterion	784.9699	Hannan-Quinn	780.0776	
rho	0.213617	Durbin-Watson	1.565031	

Model 33: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Alum

	coefficient	std. error	t-ratio	p-value
const	0.530447	1.01705	0.5216	0.6030
W2	-2083.25	852.445	-2.444	0.0161 **
W2_t	18.5364	7.61091	2.436	0.0164 **
Mean dependent var	0.343334	S.D. dependent var	11.00754	
Sum squared resid	12975.40	S.E. of regression	10.76345	
R-squared	0.060633	Adjusted R-squared	0.043858	
F(2, 112)	3.614582	P-value(F)	0.030115	
Log-likelihood	-434.9159	Akaike criterion	875.8318	
Schwarz criterion	884.0666	Hannan-Quinn	879.1743	
rho	0.280034	Durbin-Watson	1.374935	

Model 34: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Iron

	coefficient	std. error	t-ratio	p-value
const	0.878886	2.34506	0.3748	0.7085
W2	305.172	1965.53	0.1553	0.8769
W2_t	-2.85748	17.5489	-0.1628	0.8709
Mean dependent var	0.491076	S.D. dependent var	24.71692	
Sum squared resid	68983.57	S.E. of regression	24.81783	
R-squared	0.009506	Adjusted R-squared	-0.008182	
F(2, 112)	0.537431	P-value(F)	0.585746	
Log-likelihood	-530.9877	Akaike criterion	1067.975	
Schwarz criterion	1076.210	Hannan-Quinn	1071.318	
rho	0.362561	Durbin-Watson	1.246585	

Model 35: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_Imp_Co

	coefficient	std. error	t-ratio	p-value	
const	-0.182981	0.459067	-0.3986	0.6910	
W2	803.558	384.769	2.088	0.0390	**
W2_t	-7.10598	3.43535	-2.068	0.0409	**
Mean dependent var	0.017581	S.D. dependent var	5.058646		
Sum squared resid	2643.559	S.E. of regression	4.858313		
R-squared	0.093818	Adjusted R-squared	0.077636		
F(2, 112)	5.797722	P-value(F)	0.004019		
Log-likelihood	-343.4375	Akaike criterion	692.8750		
Schwarz criterion	701.1098	Hannan-Quinn	696.2175		
rho	0.210006	Durbin-Watson	1.546805		

Model 36: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Alum

	coefficient	std. error	t-ratio	p-value	
const	-0.287891	1.05154	-0.2738	0.7848	
W2	309.823	881.354	0.3515	0.7259	
W2_t	-2.69169	7.86902	-0.3421	0.7329	
Mean dependent var	-0.069963	S.D. dependent var	11.11693		
Sum squared resid	13870.42	S.E. of regression	11.12848		
R-squared	0.015501	Adjusted R-squared	-0.002079		
F(2, 112)	0.881728	P-value(F)	0.416921		
Log-likelihood	-438.7514	Akaike criterion	883.5027		
Schwarz criterion	891.7375	Hannan-Quinn	886.8452		
rho	0.391135	Durbin-Watson	1.191974		

Model 37: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Iron

	coefficient	std. error	t-ratio	p-value	
const	-0.335271	1.14214	-0.2935	0.7696	
W2	-999.108	957.291	-1.044	0.2989	
W2_t	8.97986	8.54701	1.051	0.2957	
Mean dependent var	-0.162150	S.D. dependent var	12.08648		
Sum squared resid	16363.51	S.E. of regression	12.08730		
R-squared	0.017411	Adjusted R-squared	-0.000135		
F(2, 112)	0.992285	P-value(F)	0.373964		
Log-likelihood	-448.2559	Akaike criterion	902.5117		
Schwarz criterion	910.7465	Hannan-Quinn	905.8542		
rho	0.195981	Durbin-Watson	1.588537		

Model 38: OLS, using observations 2013:07-2023:01 (T = 115)
 Dependent variable: mc_TT_Co

	coefficient	std. error	t-ratio	p-value
const	0.454751	0.712737	0.6380	0.5248
W2	-878.570	597.383	-1.471	0.1442
W2_t	7.75635	5.33363	1.454	0.1487

Mean dependent var	0.197559	S.D. dependent var	7.709977
Sum squared resid	6372.271	S.E. of regression	7.542896
R-squared	0.059664	Adjusted R-squared	0.042872
F(2, 112)	3.553153	P-value(F)	0.031905
Log-likelihood	-394.0277	Akaike criterion	794.0555
Schwarz criterion	802.2903	Hannan-Quinn	797.3979
rho	0.080164	Durbin-Watson	1.813784